## Research Paper

# Crop production planning for different size group of farmers using fuzzy multi objective linear programme 

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#### Abstract

Present study is an application of fuzzy optimization technique in agricultural planning particularly for farmers of Coimbatore district, Tamil Nadu, India. Generally the crop planning problem is formulated as linear programming problem but in real situation there are many uncertain factors in agricultural production planning problems. Therefore, future profit for crops is imprecise and uncertain. In this article an attempt is made to formulate a model for crop planning for different size group of farmers in Coimbatore district.


Key Words: Fuzzy, Goal programming, Linear, Production planning
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## InTRODUCTION:

Agriculture plays vital role in the Indian economy. India's geographical condition is unique for agriculture because it provides many favourable climatic conditions. There are plain areas, long growing season, fertile soil and wide variation in climatic condition. Apart from geographical conditions, India has been consistently making innovative efforts by using science and technology to increase production. In agricultural production planning problem, the major objective is to maximize the profit under the minimum investment with some other constrains. An important issue in this problems is to optimize the objectives, based on one or multi-objective optimization, one or more goal to be considered. Fuzzy mathematical programming has been developed in several
research studies. One of the important early contributions in fuzzy programming was given by Zimmermann. In fuzzy multi-objective programming, Sakawa et al. (1987) have presented an interactive fuzzy approach for multiobjective linear programming problems. One of the main approaches in dealing with fuzzy models is the possibility theory. The basic work in possibility theory was introduced by Dubois and Prade.Their work has presented the foundation of the possibility programming approach, which has been applied to fuzzy linear single objective and multi objective programming.For agricultural production where uncertainty and vagueness effect the profit directly or indirectly, several researchers such as Slowinski (1986); Sinha et al. (1988); Sher and Amir (1994); Sumpsi et al. (1996); Sarker et al. (1997); Pal and Moitra (2003); Vasant (2003) and Biswas and Pal
(2005) used fuzzy goal programming techniques for farm planning problems. Lodwick et al. (2003) made a comparison of fuzzy stochastic and deterministic method in a case of crop planning problem followed by a study of Itoh et al. (2003) based on possibility measure. Itoh et al. (2003) considered a problem of crop planning under uncertainty assuming profit co-efficients are discrete random variables and proposed a model to obtain a maximum and minimum value of gains for decision maker. Sakawa and Yano (1986) and Chanas (1989) used various types of membership functions for obtaining compromise solution. Garg and Singh (2010) provided a procedure to solve MOLP using max. min. approach to build up the member ship function and stated that it provides superior results. These problems of allocation of land for different crops, maximization of production of crops, maximization of profit are addressed in agricultural management system. Maximization of crop production can't guarantee the maximization of profit. Profit or loss is also depending on fluctuating demand and cost for the particular crop. Also agriculture is a process that, at any moment of time associated with the issue of risk and there is no certainty.

## Materials and Methods:

First we introduce basic terms and definitions related to the paper and then mathematical formulation of the problems and finally the conclusion of the studies.

## Multi objective linear programming problem:

In general, a multi objective optimization problem with k objectives, n variables and p constraints is as:

```
Max {, , Z , ,...., (Z Z
Such that
A
X={, (, ,...., (xn},
xi}\geq0,i=1,2,\ldots\ldots..n
```


## Fuzzy multi objective linear programming problem:

$\operatorname{Max} \mathbf{Z}_{1}(\mathbf{x})=\sum_{\mathrm{j}=1}^{\mathrm{n}} \mathbf{C}_{1 \mathrm{j}} \mathbf{x}_{\mathrm{j}}$
$\operatorname{Max} \mathbf{Z}_{\mathbf{2}}(\mathbf{x})=\sum_{\mathrm{j}=1}^{\mathrm{n}} \mathbf{C}_{\mathbf{2}^{\mathbf{j}}} \mathbf{x}_{\mathrm{j}}$
$\operatorname{MaxZp}(\mathbf{x})=\sum_{\mathrm{j}=1}^{\mathrm{n}} \mathbf{C}_{\mathrm{p}} \mathbf{j}^{\mathbf{x}_{\mathrm{j}}}$
$\mathrm{p}=1,2,3, \ldots, \mathrm{~m} .----\cdots-(\mathbf{1})$
Subject to $\mathbf{x} \mathbf{x},\{ \} / \mathbf{A} \mathbf{x} \leq \mathbf{b}, \mathbf{x} \geq \mathbf{0}$
where, $x$ is a $n$-dimensional vector of decision variable.
$\mathbf{Z}_{1}(\mathbf{x}), \mathbf{Z}_{2}(\mathbf{x}), \ldots \ldots$.., $(\mathbf{x})$ are p distinct linear objective
functions of the decision variable $x$
$\mathrm{C}_{\mathrm{ij}}$ is the cost factor vector,
$\mathrm{i}=1,2, \ldots, \mathrm{mj}=1,2, \ldots \ldots, \mathrm{n}$
A is $m \times n$ constraint matrix.
$b$ is $m$ dimensionsl vector of total resources available.
To find decision vector x ,
$\ni(\mathbf{x}) \geq\left(\mathbf{x}^{*}\right)$ For $\forall p$
where, $Z_{\mathrm{p}}\left(\mathrm{x}^{*}\right)$, for $\forall \mathrm{p}$ is our corresponding goal and all objective functions are to be maximized.

Objective functions of equation (I) are to be fuzzy constraints. If the tolerances of fuzzy constraints are given then a feasible solution set is characterized by its membership functions
$(\mathbf{x})=\min \left\{\mu_{1}(\mathbf{x}), \mu_{2}(\mathbf{x}), \ldots \ldots, \mu_{\mathrm{p}}(\mathbf{x})\right\}$
The solution can be obtained by solving the problem of maximizing $(\mathrm{x})$ subject to $\mathrm{x} \varepsilon \mathrm{X}$.
i.e. $\left[\operatorname{Min}_{\mathrm{p}} \mu_{\mathrm{p}}(\mathrm{x})\right]$ such that $\mathrm{x} \varepsilon X$.

Let $\gamma=\operatorname{Min}_{\mathrm{p}} \mu_{\mathrm{p}}(\mathrm{x})$ be the overall satisfactory level of compromise then we get the equivalent model.

Maxy
Such that $\gamma \leq \mu_{\mathrm{p}}$ for $\forall \mathrm{p}, \mathrm{x} \varepsilon X$
Here membership functions of objective function is estimated by obtaining pay off matrix of positive ideal solution and assume that membership functions are of the type non decreasing linear or hyperbolic etc.

In this section, by using of fuzzy multi objective linear programming approach, computational algorithm for a scenario when production co-efficient are crisp discrete random variables given. There are three important seasons namely Kharif starting from June ending with October November,Rabi season starting from November ending with February-March and summer season starting March ending with May. The data for the planning year 2014-2015 were collected from different sources of agricultural planning units. The data on current total land area under cultivation, production and productivity of major crops from several issues of Season and crop report, The market prices of all the study crops were collected from Agmark website. The data on cash expenditure for utilisation of productive resources (seeds, man days, machine hours, water and fertilizer) per ha of land for major crops of Coimbatore were collected from the cost of cultivation scheme. After formatting the statistical data we have run the optimal programming problem on EXCEL SOLVER. We have obtained the optimal section of decision variables on two accounts for obtaining (1) Maximum production (2) Maximum profit. The different types of crops can be named as:
$\mathrm{x}_{12}$-Sorghum, $\mathrm{x}_{21}$-Paddy, $\mathrm{x}_{22}$-Maize, $\mathrm{x}_{23}$-Horsegram, $\mathrm{x}_{24}$-Blackgram, $\mathrm{x}_{25}$-Greengram, $\mathrm{x}_{31}$-Paddy, $\mathrm{x}_{32}$-Onion, $\mathrm{x}_{33 \mathrm{a}}$-Banana, $\mathrm{x}_{34}$-Groundnut, $\mathrm{x}_{35 \mathrm{a}}$-Tapioca, $\mathrm{x}_{36 \mathrm{a}}$ Sugarcane.

This study included twelve crops, among this three of them are annual/perennial (Sugarcane, Banana and Tapioca).

## Step 1 :

Solve the one objective function with constraint at time $t$, using linear programming techniques and then step by step find the corresponding value of all the objective functions for each of solutions.

## Step 2 :

Then find lower bound $Z_{n}{ }^{\prime}$ and upperbound $Z_{p}$ ' for each objective.

$$
\mathbf{p}^{\prime}(\mathbf{X})=\left\{\begin{array}{cc}
1 & \text { If } \mathbf{Z}_{\mathbf{P}}(\mathbf{X})=\mathbf{Z}_{\mathbf{p}}^{\prime \prime} \\
\frac{\mathbf{Z}_{\mathbf{p}}(\mathbf{X})-\mathbf{Z}_{\mathbf{p}}^{1}}{} & \text { If } \mathbf{Z}_{\mathbf{p}}^{1} \leq \mathbf{Z}_{\mathbf{p}}(\mathbf{X})<\mathbf{Z}_{\mathbf{p}}^{\prime \prime} \\
\mathbf{Z}_{\mathbf{p}}-\mathbf{Z}_{\mathbf{p}}^{\prime} & \\
0 & \text { If } \mathbf{Z}_{\mathbf{p}}(\mathbf{X})<\mathbf{Z}_{\mathbf{p}}^{\prime \prime}
\end{array}\right.
$$

## Step 3 :

Now transform multi objective linear programming problem into linear programming problem as Maxy

$$
\mathbf{p}_{\mathbf{p}}(\mathbf{X})=\left\{\begin{array}{c}
\frac{1}{\mathbf{Z}_{\mathbf{p}}^{(\mathbf{X})}-\mathbf{Z}_{\mathbf{p}}^{1}} \\
\mathbf{Z}_{\mathbf{p}}^{\prime \prime}-\mathbf{Z}_{\mathbf{p}}^{\prime} \\
\mathbf{0}
\end{array}>=\gamma, \mathbf{x \varepsilon \mathbf { X }},\right.
$$

where, $(\mathbf{x})=\sum_{\mathrm{j}=1}^{\mathrm{n}} \mathrm{C}_{\mathrm{pj}} \mathrm{x}_{\mathrm{j}}, \mathbf{0} \leq \boldsymbol{\gamma} \leq \mathbf{1}$
i.e. $\mathbf{Z}_{\mathbf{p}}(\mathbf{x})-\gamma\left(\mathbf{Z}_{\mathbf{p}}{ }^{\prime \prime}-\mathbf{Z}_{\mathbf{p}}{ }^{\prime}\right) \geq \mathbf{Z}_{\mathbf{p}}{ }^{\prime}$
i.e. $\sum_{\mathrm{j}=1}^{\mathrm{n}} \mathbf{C}_{\mathbf{p} \mathbf{j}} \mathbf{x}_{\mathbf{j}}-\left(\mathbf{Z}_{\mathbf{p}}{ }^{\prime \prime}-\mathbf{Z}_{\mathbf{p}}{ }^{\prime}\right) \geq \mathbf{Z}_{\mathbf{p}}{ }^{\prime}$, for $\forall \mathrm{p}$. It can easily solve by two phase simplex method.

## Results and Data analysis :

The results obtained from the present investigation as well as relevant discussion have been summarized under following heads :

## Mathematical formulation of crop production problem :

The objectives of the problem are to maximize the production and profit. The computational algorithm developed above is implemented step by step to find a optimal solution of crop production for Coimbatore district, Tamil Nadu. This study was taken up in Coimbatore district of the Tamil Nadu state. Coimbatore district lies between 10"- 10 ' and $11 "$ - 30 ' northern latitude and $76 "$ "40' and 77"- 30' eastern longitude. The total geographic area of the district is 4722 sq km . The population of Coimbatore district as per 2011 census was 3458045 with density of 731 people per sq km . The district had a population of $3,458,045$ of which male and female were $1,729,297$ and $1,728,748$, respectively

In this district farmer mainly grows paddy, maize, horsegram, blackgram and greengram in Kharif season, sorghum in summer season. Paddy, onion and groundnut in Rabi season and they also cultivate annuals like sugarcane, banana and tapioca. The land available is 49191 hectare with given labour hours constrains. A small farm holder needs at least 600 kg of paddy and 200 kg of sorghum to meet out his annual food grains requirement.

Table 1: The data description of productive resources and returns

| Particulars | Man days /ha | Production kg/ha | Market price /q | Returns (Rs./ha) |
| :---: | :---: | :---: | :---: | :---: |
| Jowar ( $\mathrm{x}_{12}$ ) | 6.88 | 2493 | 1700 | 12370 |
| Paddy ( $\mathrm{x}_{21}$ ) | 106.67 | 4800 | 1870 | 30031 |
| Maize ( $\mathrm{x}_{22}$ ) | 105.43 | 5000 | 1450 | 19744 |
| Horsegram ( $\mathrm{x}_{23}$ ) | 24.25 | 870 | 2900 | 4663 |
| Blackgram ( $\mathrm{x}_{24}$ ) | 23.66 | 780 | 8819 | 23665.2 |
| Greengram ( $\mathrm{x}_{25}$ ) | 21.11 | 878 | 5570 | 8559.6 |
| Paddy ( $\mathrm{x}_{31}$ ) | 150.21 | 5780 | 1750 | 35853 |
| Onion ( $\mathrm{x}_{32}$ ) | 58.16 | 12000 | 2000 | 130735 |
| Banana ( $\mathrm{x}_{33 \mathrm{a}}$ ) | 299.2 | 40000 | 2000 | 648320 |
| Groundnut ( $\mathrm{x}_{34}$ ) | 132.15 | 1900 | 4300 | 38200 |
| Tapioca ( $\mathrm{X}_{35 \mathrm{a}}$ ) | 18.74 | 25000 | 1650 | 341610 |
| Sugarcane ( $\mathrm{x}_{36 \mathrm{a}}$ ) | 275.13 | 110000 | 285 | 163500 |

The objectives of the problems are to maximize profit and production to provide minimum food grain requirement.

The objective functions are:

## Production:

Maximize $\mathrm{Z}_{1}=110000 \mathrm{x}_{36 \mathrm{a}}+2493 \mathrm{x}_{12}+4800 \mathrm{x}_{21}+$ $5000 \mathrm{x}_{22}+870 \mathrm{x}_{23}+780 \mathrm{x}_{24}+878 \mathrm{x}_{25}+5780 \mathrm{x}_{31}+12000$ $\mathrm{x}_{32}+40000 \mathrm{x}_{33 \mathrm{a}}+1900 \mathrm{x}_{34}+25000 \mathrm{x}_{35 \mathrm{a}}$

## Profit:

Maximize $\mathrm{Z}_{2}=163500 \mathrm{x}_{36 \mathrm{a}}+12370 \mathrm{x}_{12}+30031 \mathrm{x}_{21}$ $+19744 \mathrm{x}_{22}+4663 \mathrm{x}_{23}+870 \mathrm{x}_{23}+23665.2 \mathrm{x}_{24}+8559.6 \mathrm{x}_{25}$ $+35853 \mathrm{x}_{31}+130735 \mathrm{x}_{32}+648320 \mathrm{x}_{33 \mathrm{a}}+38200 \mathrm{x}_{34}+$ $341610 \mathrm{x}_{35 \mathrm{a}}$

## Subject to constraints:

## Labour :

$275.13 \mathrm{x}_{36 \mathrm{a}}+6.88 \mathrm{x}_{12}+106.67 \mathrm{x}_{21}+105.43 \mathrm{x}_{22}+$ $24.25 \mathrm{x}_{23}+23.66 \mathrm{x}_{24}+21.11 \mathrm{x}_{25}+150.21 \mathrm{x}_{31}+58.16 \mathrm{x}_{32}$ $+299.2 \mathrm{x}_{33 \mathrm{a}}+132.15 \mathrm{x}_{34}+18.74 \mathrm{x}_{35 \mathrm{a}}<=400$

## Land :

$$
\begin{aligned}
& \mathrm{x}_{21}+\mathrm{x}_{22}+\mathrm{x}_{23}+\mathrm{x}_{24}+\mathrm{x}_{25}<=49191 \\
& \mathrm{x}_{31}+\mathrm{x}_{32}+\mathrm{x}_{34}<=49191
\end{aligned}
$$

Water :
$\mathrm{x}_{36 \mathrm{a}}+\mathrm{x}_{12}+\mathrm{x}_{33 \mathrm{a}}+\mathrm{x}_{35 \mathrm{a}}<=204.57$
$\mathrm{x}_{21}+\mathrm{x}_{22}+\mathrm{x}_{23}+\mathrm{x}_{24}+\mathrm{x}_{25}<=478.81$
$\mathrm{X}_{31}+\mathrm{x}_{32}+\mathrm{x}_{34}<=538.21$

## Food requirement :

$2493 x_{12}>=200$
$4800 \mathrm{x}_{21}+5780 \mathrm{x}_{31}>=600$
Solve this linear programming problem by simplex method for objective function $Z_{1}$.

Production $Z_{1}=510854.05$
Profit $=6975442.45$
Profit $Z_{2}=465942.6415$
Production $=46233.92944$

| Table 2 : Results of production maximization |  |
| :--- | :--- |
| $\mathrm{x}_{12}$ | 0.080 ha . land for sorghum |
| $\mathrm{x}_{21}$ | 0.125 ha. land for paddy |
| $\mathrm{x}_{24}$ | 0.128 ha. land for blackgram |
| $\mathrm{x}_{32}$ | 0.016 ha. land for onion |
| $\mathrm{x}_{35 \mathrm{a}}$ | 20.391 ha. land for tapioca |


| Table 3 : Results of profit maximization |  |
| :--- | :--- |
| $\mathrm{x}_{12}$ | 0.469 ha . land for sorghum |
| $\mathrm{x}_{21}$ | 0.770 ha. land for paddy |
| $\mathrm{x}_{24}$ | 0.128 ha. land for blackgram |
| $\mathrm{x}_{31}$ | 1.077 ha. land for paddy |
| $\mathrm{x}_{32}$ | 2.509 ha. land for onion |
| $\mathrm{x}_{35 \mathrm{a}}$ | 0.196 ha. land for tapioca |

First step is to run the first objective function $\left(\mathrm{Z}_{1}\right)$ using the above constraints, followed by we have to run the second objective function $\left(\mathrm{Z}_{2}\right)$ by solving these two objective function $\left(Z_{1}\right.$ and $\left.Z_{2}\right)$ we get ideal solution of $Z_{1}{ }^{\prime \prime} Z_{2}{ }^{\prime}$ and $Z_{1}{ }^{\prime} Z_{2}{ }^{\prime \prime}$.

| Table 4 : Positive ideal solution |  |  |
| :--- | :---: | :---: |
| $\mathrm{Z}_{1 .}$ |  | $\mathrm{Z}_{2}$. |
| $\mathrm{Z}_{1 .}$ | $510854.1=\mathrm{Z}_{1}{ }^{\prime}$, | $6975442=\mathrm{Z}_{2}$, |
| $\mathrm{Z}_{2}$. | $46233.93=\mathrm{Z}_{1}{ }^{\prime}$ | $465942.6=\mathrm{Z}_{2}{ }^{\prime}$ |

$\mathrm{Z}_{1}$ " - Maximised production from the first objective function
$Z_{2}{ }^{\prime}$ - Maximised profit from the first objective function
$\mathrm{Z}_{1}{ }^{\prime}$ - Maximised profit from the second objective function
$\mathrm{Z}_{2}{ }^{\prime \prime}$ - Maximised production from the second objective function
The third step is to maximize $\gamma$ by including all the above constraints plus production and profit constraint, from than we get values of $\mathrm{x}_{12}, \mathrm{x}_{21}, \mathrm{x}_{22}, \mathrm{x}_{23}, \mathrm{x}_{24}, \mathrm{x}_{25}$, $\mathrm{x}_{31}, \mathrm{x}_{32,}, \mathrm{x}_{33 \mathrm{a}}, \mathrm{x}_{34,}, \mathrm{x}_{35 \mathrm{a}}$ and $\mathrm{x}_{36 \mathrm{a}}$ using the values we can derive the optimal crop planning for different season and different size group of the farmers.

## The objective function:

Maximize $=2.15 \mathrm{E}-06 \gamma+1.54 \mathrm{E}-07 \gamma$

## Subject to constraints :

Labour:

$$
\begin{aligned}
& 275.13 \mathrm{x}_{36 \mathrm{a}}+6.88 \mathrm{x}_{12}+106.67 \mathrm{x}_{21}+105.43 \mathrm{x}_{22}+ \\
& 24.25 \mathrm{x}_{23}+23.66 \mathrm{x}_{24}+21.11 \mathrm{x}_{25}+150.21 \mathrm{x}_{31}+58.16 \mathrm{x}_{32} \\
& +299.2 \mathrm{x}_{33 \mathrm{a}}+132.15 \mathrm{x}_{34}+18.74 \mathrm{x}_{35 \mathrm{a}}<=400
\end{aligned}
$$

Land:

$$
\mathrm{x}_{36 \mathrm{a}}+\mathrm{x}_{12}+\mathrm{x}_{33 \mathrm{a}}+\mathrm{x}_{35 \mathrm{a}}<=49191 \mathrm{x}_{21}+\mathrm{x}_{22}+\mathrm{x}_{23}+\mathrm{x}_{24}
$$

$$
+\mathrm{x}_{25}<=49191 \mathrm{x}_{31}+\mathrm{x}_{32}+\mathrm{x}_{34}<=49191
$$

## Water:

$$
\mathrm{x}_{36 \mathrm{a}}+\mathrm{x}_{12}+\mathrm{x}_{33 \mathrm{a}}+\mathrm{x}_{35 \mathrm{a}}<=204.57
$$

$\mathrm{x}_{21}+\mathrm{x}_{22}+\mathrm{x}_{23}+\mathrm{x}_{24}+\mathrm{x}_{25}<=478.81$
$\mathrm{x}_{31}+\mathrm{x}_{32}+\mathrm{x}_{34}<=538.21$

## Food requirement :

$$
\begin{aligned}
& 2493 x_{12}>=200 \\
& 4800 x_{21}+5780 x_{31}>=600
\end{aligned}
$$

## Production :

Maximize $Z_{1}=110000 \mathrm{x}_{36 \mathrm{a}}+2493 \mathrm{x}_{12}+4800 \mathrm{x}_{21}+$ $5000 \mathrm{x}_{22}+870 \mathrm{x}_{23}+780 \mathrm{x}_{24}+878 \mathrm{x}_{25}+5780 \mathrm{x}_{31}+12000$ $\mathrm{x}_{32}+40000 \mathrm{x}_{33 \mathrm{a}}+1900 \mathrm{x}_{34}+25000 \mathrm{x}_{35 \mathrm{a}}-464620.12 \gamma>=$ 46233.92

> Profit :
> $\quad$ Maximize $Z_{2}=163500 \mathrm{x}_{36 \mathrm{a}}+12370 \mathrm{x}_{12}+30031 \mathrm{x}_{21}$ $+19744 \mathrm{x}_{22}+4663 \mathrm{x}_{23}+870 \mathrm{x}_{23}+23665.2 \mathrm{x}_{24}+8559.6 \mathrm{x}_{25}$ $+35853 \mathrm{x}_{31}+130735 \mathrm{x}_{32}+648320 \mathrm{x}_{33 \mathrm{a}}+38200 \mathrm{x}_{34}+$ $341610 \mathrm{x}_{35 \mathrm{a}}-6509499.80 \gamma>=465942.64$

Using SOLVER, the result for the optimal crop planning model for area of different crops (in hacters) were given in Table 5.

## Conclusion :

From the Table 6, The present study shows that, marginal farm holders can get 64295.60 kg of production (profit of Rs.8,68,298.94), small farm holders can get 65045.60 kg to 139295.60 of production (profit form Rs. $8,78,547.24$ to Rs.18,93,128.94), semi medium farm holders can get 140045.60 kg to 289295.60 kg of production (profit from Rs. 19, $03,377.24$ to Rs. $39,42,788.94$ ), medium farm holders can get 290045.60 kg to 739295.60 kg of production (profit from Rs. $9,53,037.24$ to Rs. $1,00,91,768.94$ ) and large farm holders can get 890045.60 kg . and above crop production of various crops during whole year and they will get the profit of Rs.1,21,51,677.24 and above.

| Table $5:$ Results of fuzzy multi objective linear programme |  |
| :--- | :--- |
| $\mathrm{X}_{12}$ | 0.080 ha . land for sorghum |
| $\mathrm{x}_{21}$ | 0.125 ha. land for paddy |
| $\mathrm{x}_{24}$ | 0.128 ha. land for blackgram |
| $\mathrm{x}_{31}$ | 0.120 ha. land for paddy |
| $\mathrm{x}_{32}$ | 0.016 ha. land for onion |
| $\mathrm{x}_{35 \mathrm{a}}$ | 20.390 ha. land for tapioca |
| $\mathrm{x}_{36 \mathrm{a}}$ | 0.1 ha. land for sugarcane |
| $\gamma=0.99$ |  |


| Table 6 : Combined crop planning for different size group of farmers |  |  |  |  |  |  |  |  | (Farm size in ha) <br> Large |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Crop |  | Marginal | Small | Semi medium |  | Medium |  |  |  |  |
| $\begin{aligned} & \text { B } \\ & \text { 픈 } \end{aligned}$ |  | $<1.0$ | 1.0-1.99 | 2-2.99 | 3.0-3.99 | 4-4.99 | 5-7.49 | 7.5-9.99 | 10-11.99 | 12 and above |
|  | $\mathrm{X}_{21}$ | 0.125 | 0.125 | 0.125 | 0.125 | 0.125 | 0.125 | 0.125 | 0.125 | 0.125 |
|  | $\mathrm{X}_{24}$ | 0.128 | 0.128 | 0.128 | 0.128 | 0.128 | 0.128 | 0.128 | 0.128 | 0.128 |
|  | $\mathrm{X}_{35 \mathrm{a}}$ | 0.74 | 0.75-1.74 | 1.75-2.74 | 2.75-3.74 | 3.75-4.74 | 4.75-7.24 | 7.25-9.74 | 9.75-11.74 | 11.75 and above |
|  | $\mathrm{X}_{31}$ | 0.120 | 0.120 | 0.120 | 0.120 | 0.120 | 0.120 | 0.120 | 0.120 | 0.120 |
|  | $\mathrm{X}_{32}$ | 0.016 | 0.016 | 0.016 | 0.016 | 0.016 | 0.016 | 0.016 | 0.016 | 0.016 |
|  | $\mathrm{X}_{35 \mathrm{a}}$ | 0.85 | 0.86-1.85 | 1.86-2.85 | 2.86-3.85 | 3.86-4.85 | 4.86-7.35 | 7.36-9.85 | 9.86-11.85 | 11.86 and above |
| $\ddot{\sim}$ | $\mathrm{X}_{12}$ | 0.080 | 0.080 | 0.080 | 0.080 | 0.080 | 0.080 | 0.080 | 0.080 | 0.080 |
|  | $\mathrm{X}_{35 \mathrm{a}}$ | 0.91 | 0.92-1.91 | 1.92-2.91 | 2.92-3.91 | 3.92-4.91 | 4.92-7.41 | 7.42-9.91 | 9.92-11.91 | 11.92 and above |

291

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